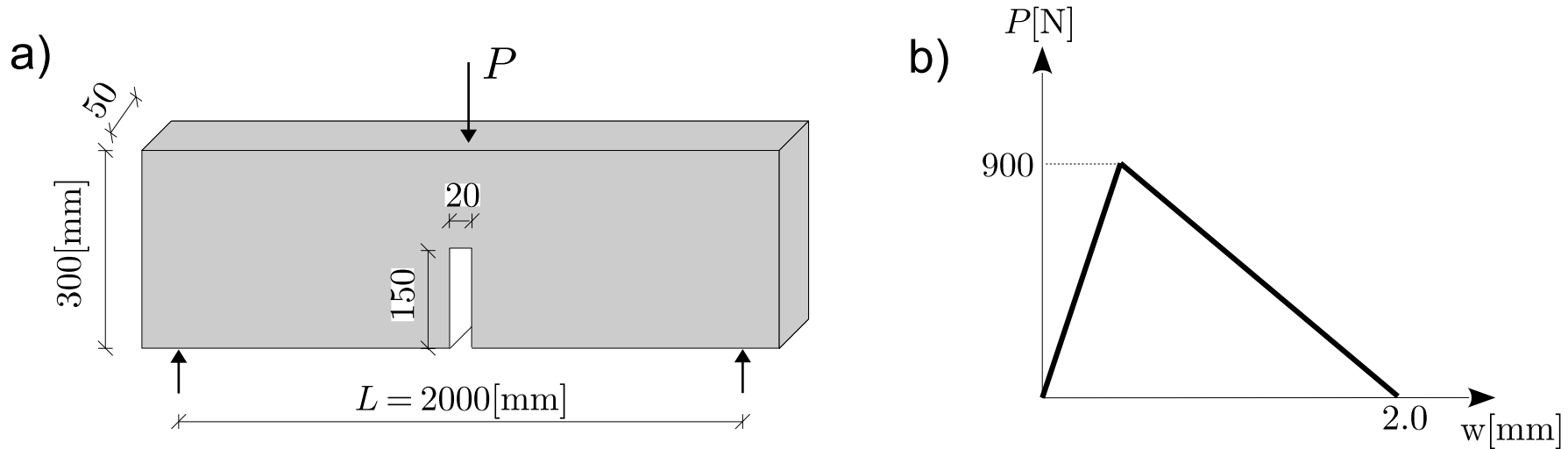


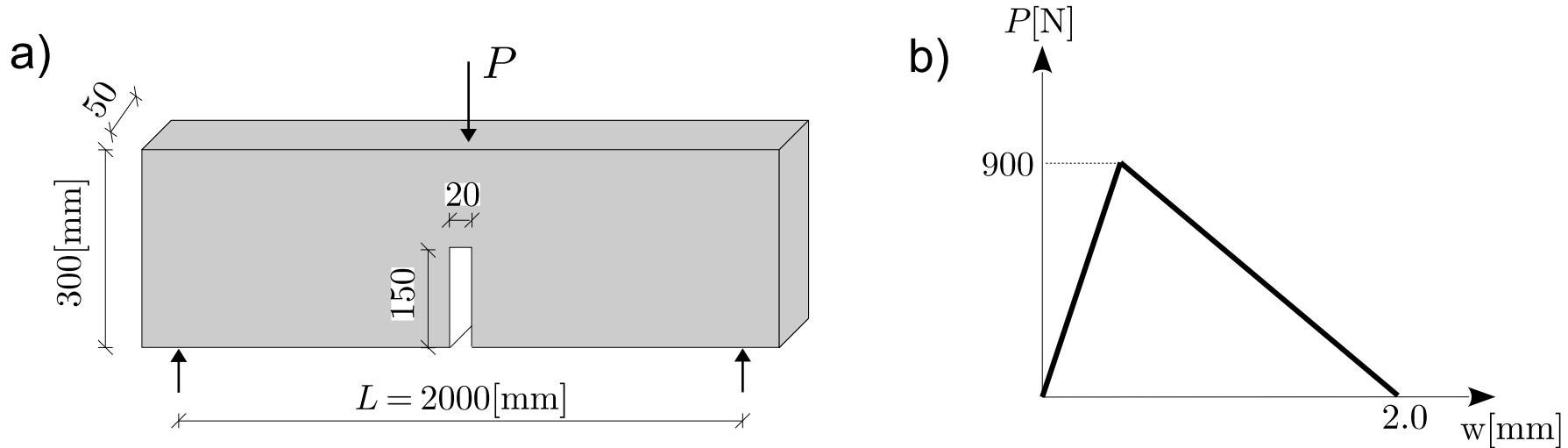
# Identification of fracture energy

Using the 3-point bending test shown in Fig. a) the load-deflection curve displayed in Fig. b) has been measured.



- Determine the fracture energy  $G_f$  without considering the self-weight.
- What would be the test response if the fracture energy was twice as large? Plot the response in terms of load deflection curve. Assume that  $P_{\max}$  does not change.
- Consider the case that the self-weight of the beam is large so that the specimen experiences load and deflection even before starting the test. Briefly explain the possible remedy to account for self-weight in the evaluation of fracture energy.

# Identification of fracture energy



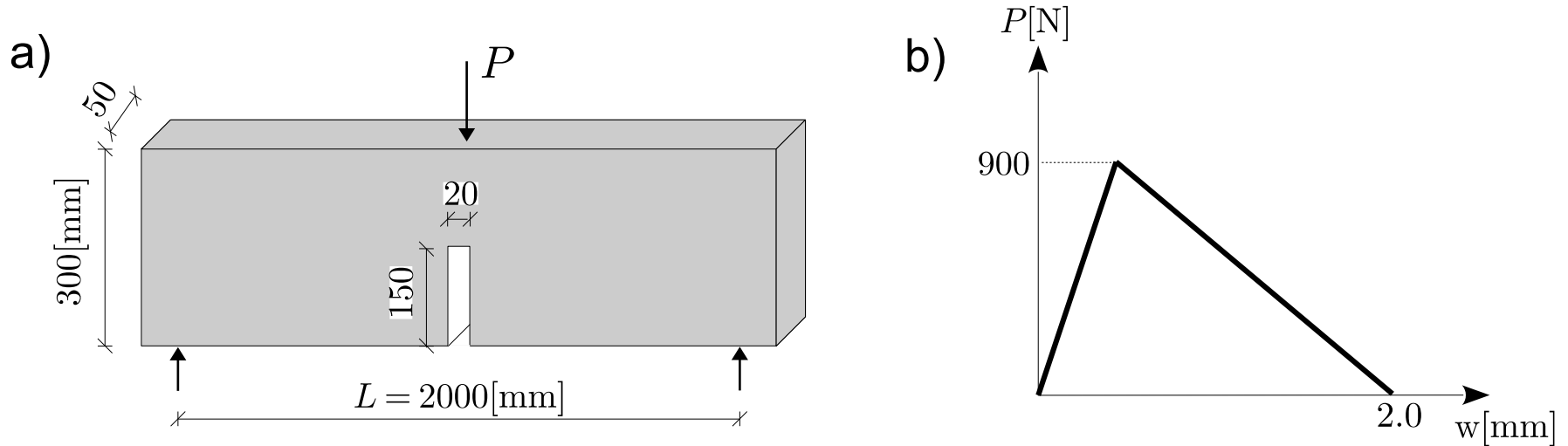
a) Determine the fracture energy  $G_f$  without considering the self-weight.

**Solution:**

The fracture energy can be determined as follows:

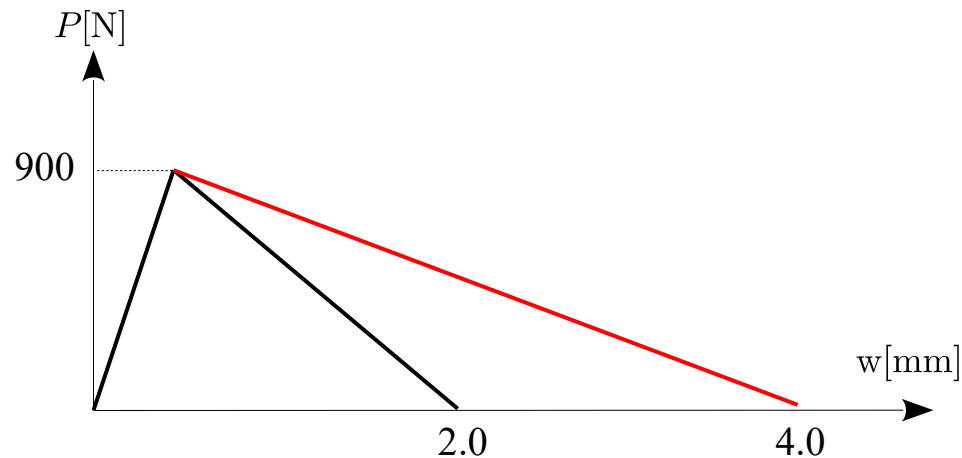
$$G_F = \frac{W}{b(h-a)} = \frac{\frac{1}{2} \cdot 2 \cdot 900}{50(300-150)} = 0.12 \text{ N/mm}$$

# Identification of fracture energy

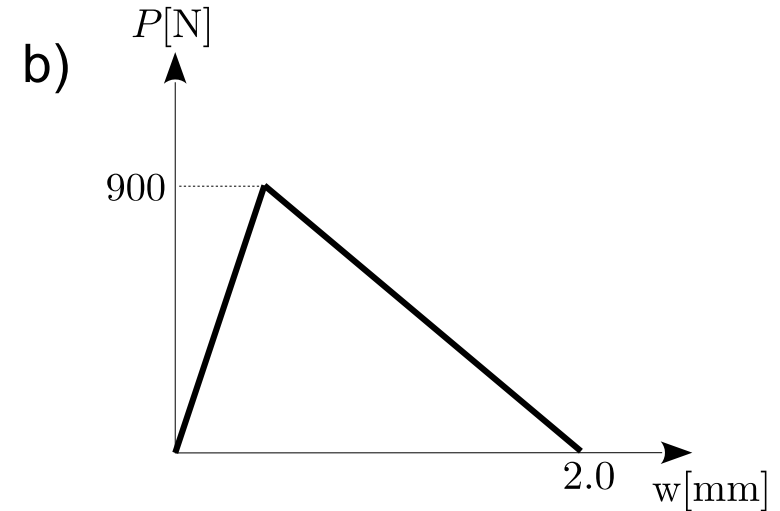
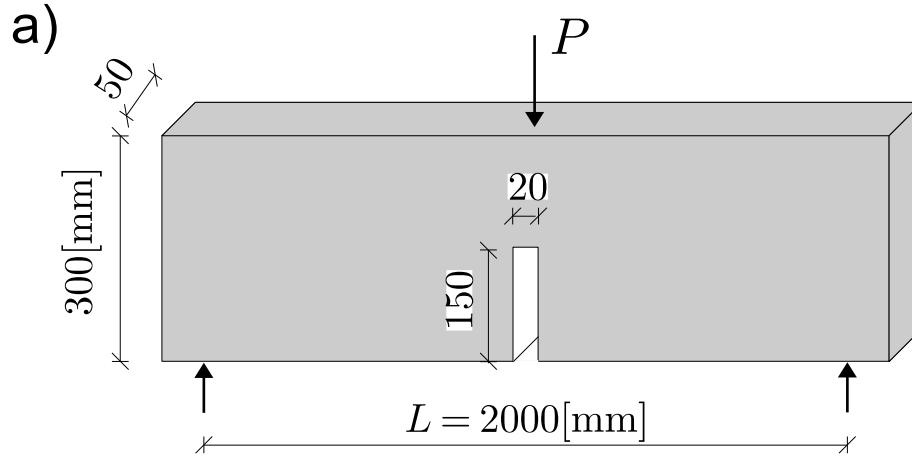


b) What would be the test response if the fracture energy was twice as large? Plot the response in terms of load deflection curve. Assume that  $P_{\max}$  does not change.

**Solution:**



# Identification of fracture energy



c) Consider the case that the self-weight of the beam is large so that the specimen experiences load and deflection even before starting the test. Briefly explain the possible remedy to account for self-weight in the evaluation of fracture energy.

**Solution:**

A simple remedy has been suggested by Petersson in the form:

$$G_F = \frac{W_1 + mg w_0}{b(h - a)}$$

$mg$  : is the self weight of the beam between the supports.

