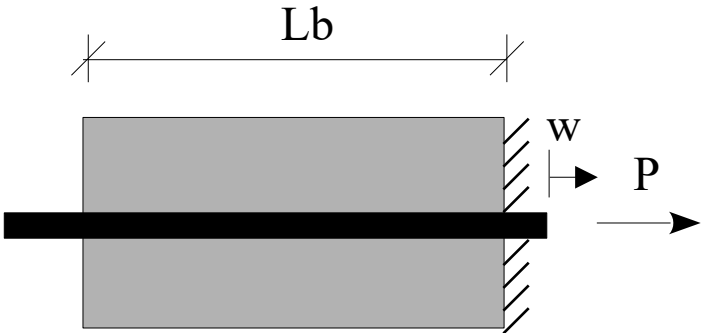


X0202: Pull-out with constant bond-slip law and elastic matrix (ELF-ELM)

For the displayed pull-out test assuming a constant bond-slip law, elastic long matrix and elastic long fiber with the given data:

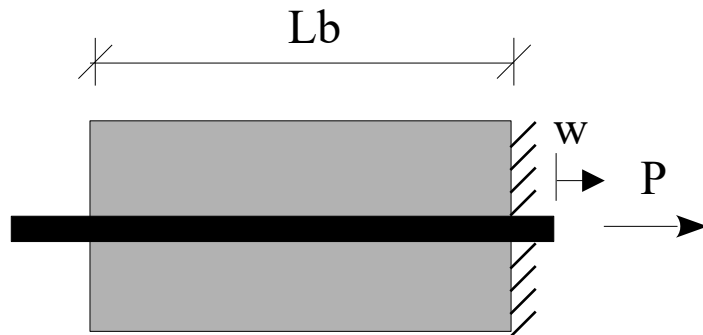
	<p>Steel reinforcement bar: $d_s = 16 \text{ [mm]}$, $E_f = 210000 \text{ [MPa]}$. Reinforcement strength $f_y = 500 \text{ [MPa]}$</p> <p>Concrete matrix: $A_m = 10000 \text{ [mm}^2\text{]}$, $E_m = 30000 \text{ [MPa]}$.</p> <p>Bond: $\tau = 8 \text{ [MPa]}$</p>
---	--

a) Plot qualitatively the pull-out response at both the loaded and unloaded ends.

Assuming short matrix ($L_b = 10 d_s$):

- b) Determine the maximum pull-out force that can be achieved.
- c) How will the specimen fail? is it pull-out or steel rupture failure?
- d) If the bond length set to $L_b = 20 d_s$, how will the specimen fail then?

X0202: Pull-out with constant bond-slip law and elastic matrix (ELF-ELM)



Steel reinforcement bar:

$d_s = 16 \text{ [mm]}$, $E_f = 210000 \text{ [MPa]}$.

Reinforcement strength $f_y = 500 \text{ [MPa]}$

Concrete matrix:

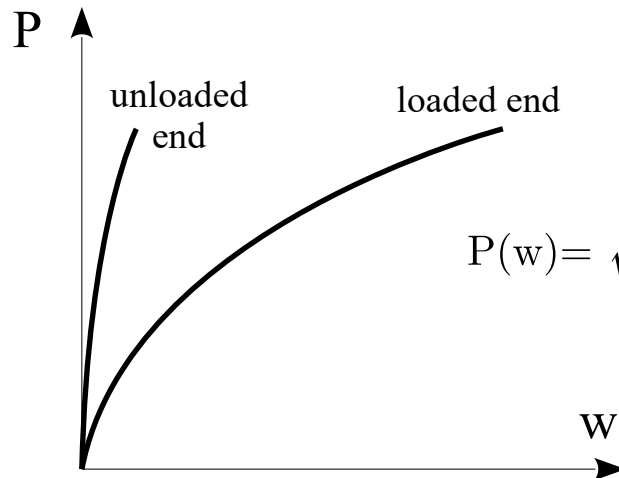
$A_m = 10000 \text{ [mm}^2\text{]}$, $E_m = 30000 \text{ [MPa]}$.

Bond:

$\tau = 8 \text{ [MPa]}$

a) Plot qualitatively the pull-out response at both the loaded and unloaded ends.

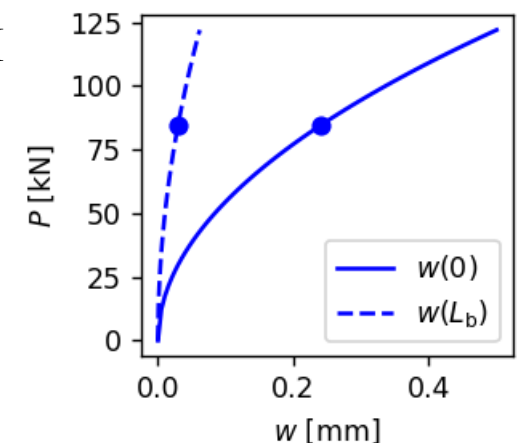
Solution:



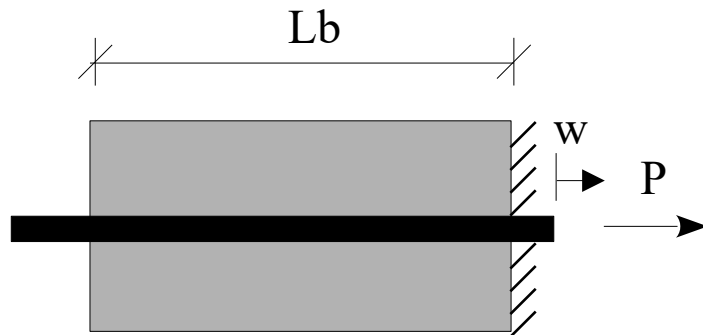
$$P(w) = \sqrt{2p \bar{\tau} w \frac{E_f A_f E_m A_m}{E_f A_f + E_m A_m}}$$

→ Using the corresponding OpenWebApp:

2.2: PO-ELF-ELM



X0202: Pull-out with constant bond-slip law and elastic matrix (ELF-ELM)



Steel reinforcement bar:

$d_s = 16 \text{ [mm]}$, $E_f = 210000 \text{ [MPa]}$.

Reinforcement strength $f_y = 500 \text{ [MPa]}$

Concrete matrix:

$A_m = 10000 \text{ [mm}^2\text{]}$, $E_m = 30000 \text{ [MPa]}$.

Bond:

$L_b = 10 d_s$, $\tau = 8 \text{ [MPa]}$

b) Determine the maximum pull-out force that can be achieved.

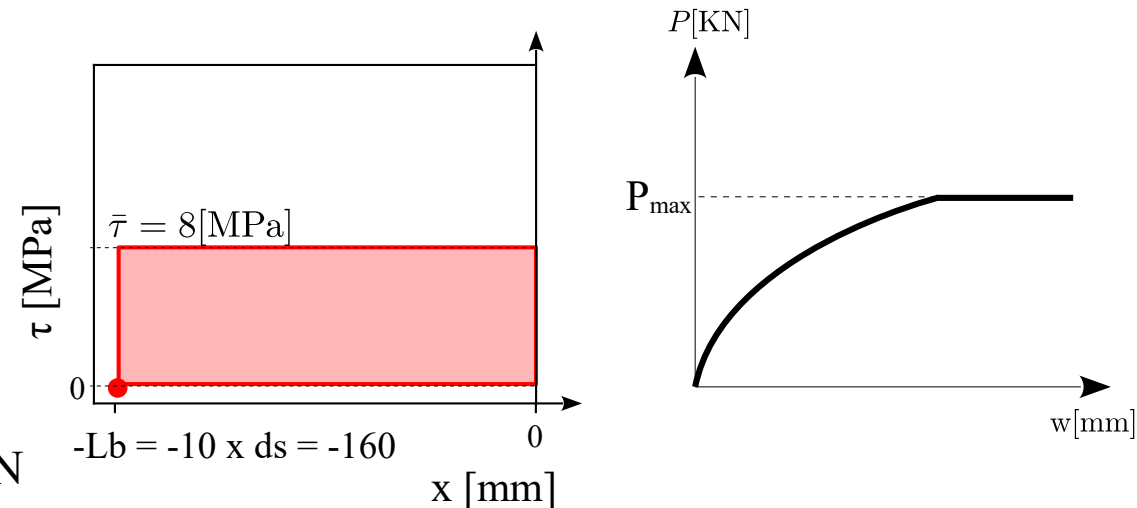
Solution:

$$P = \int_0^L p \tau(x) dx$$

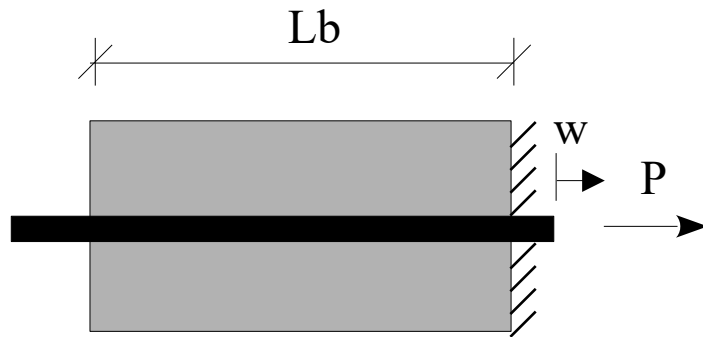
$$P(w) = p \times a(w) \times \bar{\tau}$$

$$P_{\max} = (\pi \times 16) \times a_{\max} \times 8$$

$$= (\pi \times 16) \times (10 \times 16) \times 8 = 64.34 \text{ kN}$$



X0202: Pull-out with constant bond-slip law and elastic matrix (ELF-ELM)



Steel reinforcement bar:

$d_s = 16$ [mm] , $E_f = 210000$ [MPa].

Reinforcement strength $f_y = 500$ [MPa]

Concrete matrix:

$A_m = 10000$ [mm²], $E_m = 30000$ [MPa].

Bond:

$L_b = 10 d_s$, $\tau = 8$ [MPa]

c) How will the specimen fail? is it pull-out or steel rapture failure?

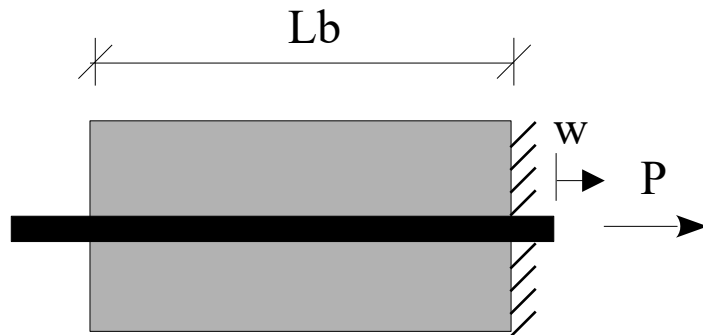
Solution:

Maximum pull-out force: from task (b) $\rightarrow P_{\max} = 64.34$ kN

Force needed for steel rapture: $F_{\text{rapture}} = A_f \times f_y = (\pi \times d^2 / 4) \times f_y = (\pi \times 16^2 / 4) \times 500 = 100.5$ kN $> P_{\max}$

\rightarrow It is a pull-out failure.

X0202: Pull-out with constant bond-slip law and elastic matrix (ELF-ELM)



Steel reinforcement bar:

$d_s = 16 \text{ [mm]}$, $E_f = 210000 \text{ [MPa]}$.

Reinforcement strength $f_y = 500 \text{ [MPa]}$

Concrete matrix:

$A_m = 10000 \text{ [mm}^2\text{]}$, $E_m = 30000 \text{ [MPa]}$.

Bond:

$L_b = 10 d_s$, $\tau = 8 \text{ [MPa]}$

d) If the bond length set to $L_b = 20 d_s$, how will the specimen fail then?

Solution:

Maximum pull-out force: $P_{\max} = (\pi \times 16) \times a_{\max} \times 8$

$$= (\pi \times 16) \times (20 \times 16) \times 8 = 128.68 \text{ kN} > F_{\text{rapture}} = 100.5 \text{ kN}$$

→ It is a steel rapture failure.